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# The Classification of Cancer Gene using Hybrid Method of Machine Learning

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Abstract: The purpose of this research work is to develop a method of classifying cancer using Gene expression data that is being used to gather information from tissue samples is expected to significantly improve the development of efficient cancer diagnosis and to provide understanding and insight into cancer related cellular processes. In this research, we propose a method for selection which uses factor analysis to further improve the SVM-based classification performance of gene expression data. We examine two sets of published gene expression data to validate the new feature selection method by means of Machine Learning with Binary Classification i.e. SVM classifier with different parameters. Experiments show that the proposed method can select a small quantity of principal factors to represent a large number of genes and SVM has a superior classification performance with the common factors which are extracted from gene expression data. Moreover, experiment results demonstrate successful cross validation accuracy of 93.75% for the breast cancer dataset and 98% for the leukemia dataset.

Keywords: Data mining, Support Vector Machine, Gene Expression Profile, Factor Analysis.

#### I. INTRODUCTION

Cancer is one of the atrocious diseases found in the living organism, which is one of the challenging studies for researchers since last 100 years. There were lot of proposal from various pioneers and detailed picture study was still going on. Basically Cancer is characterized by an abnormal, uncontrolled growth that may destroy and invade adjacent healthy body tissues or elsewhere in the body. Living organisms such as animals and plants are made of cells. The simplest organisms consist of just a single cell. The human body compromises of billions of cells; most of the cells have a limited life-span and need to be replaced in cyclic manner. Each cell is capable of duplicating themselves. Millions of cell divisions and replications take place daily in the body and it is astounding that the process occurs so perfectly most of the time every cell division requires replication of the 40 volumes of genetic coding. On rare circumstances there is some defect in a division and a rogue, potentially malignant cell arises. The immune system seems to recognize such occurrences and is generally capable of removing the abnormal cells before they have an opportunity to proliferate. Rarely, there is a failure of the mechanism and a potentially malignant cell survives, replicates and cancer is the result. The initiation of DNA microarray technology provides biologists with the ability to measure the expression levels of thousands of genes in a single experiment. With the development of this technology, a large quantity of gene expression data from such experiments has been accumulating quickly, so a novel means should be explored to extract its biological functions and to gather information from tissue and cell samples regarding gene expression differences that will be useful in diagnosing disease. Therefore, diagnosing cancer is an important and direct application of gene expression data.

A support vector machine (SVM) [1] is a computer algorithm that learns by example to assign labels to objects. For instance, a common bioinformatics application of support vector machines is the automatic classification of microarray gene expression profiles. Theoretically, an SVM can examine the gene expression profile derived from a cancer sample or from peripheral fluid and arrive at a diagnosis or prognosis. Biological applications of SVMs involve classifying objects as diverse as protein and DNA sequences, microarray expression profiles and mass spectra [20]. In essence, an SVM is a mathematical entity, an algorithm (or recipe) for maximizing a particular mathematical function with respect to a given collection of data. The basic ideas behind the SVM algorithm, however, can be explained without ever reading an equation.

Indeed, to understand the essence of SVM classification, one needs only to grasp four basic concepts: (i) the separating hyperplane, (ii) the maximum-margin hyperplane, (iii) the soft margin and (iv) the kernel function. Before describing an SVM, let's return to the problem of classifying cancer gene expression profiles,[20][21]. In recent years, support vector machines (SVM) [1][9], a supervised machine learning technique, have been shown to perform well in multiple areas of biological analysis including evaluating gene expression data, detecting remote protein homologies and translation initiation sites, etc. Since DNA microarray can be very high dimensional and have very few training datasets, this situation is particularly well suited for a SVM approach, but redundancy and noisy in gene expression data must be removed as much as possible before classification. In this paper, our efforts are to select informative genes and further extract feature information from the selected genes to reduce

the dimensionality of data and to apply SVM to accurately classify gene expression data.

#### II. RELATED WORKS

A great deal of research has been done in the classification of gene expression data, the discovery of gene function and gene regulation network by utilizing unsupervised methods such as clustering [6] and selforganizing maps. While clustering the row or column vectors of gene expression data matrix, little prior biology knowledge is adopted, and we even don't know the biological meaning of the clustering results. Supervised methods such as decision trees, SVM and multi-layer perceptrons have been broadly applied in order to classify normal and Cancer tissues [2][4][12] However, there exist many noises and redundancy in gene expression data, so feature selection plays a key role in the classification of gene expression data. Furlanello [7] describes a wrapper algorithm for fast feature ranking in classification problems, which is designed to support intensive model selection, and is an entropy-based recursive feature elimination method that can eliminate chunks of uninteresting features according to the entropy of the weights distribution of SVM classifiers. Tang [10] proposes a new problem of simultaneously mining phenotypes and informative genes from gene expression data. Nishimura [16] present a PCA based method of gene expression visual analysis with calculating PCA contribution axis. One drawback of PCA analysis is, however, that class information is not utilized for class prediction. In fact, many of the selection and reduction methods can be combined, and combination of the methods may give us better results.

# III. THE MODEL OF CLASSIFICATION ALGORITHM

#### A. Representation of DNA Microarray Data

$$\mathbf{M} \ = \begin{bmatrix} X_{1,1} & X_{1,2} & \dots & X_{1,n} \\ X_{2,1} & X_{2,2} & \dots & X_{2,n} \\ \vdots & \vdots & \ddots & \vdots \\ X_{m,1} & X_{m,2} & \dots & X_{m,n} \end{bmatrix}$$

DNA microarray is composed of thousands of individual DNA sequences printed in a high density array on a glass microscope slide. Samples are generated under multiple conditions which may be a time series during a biological process or a collection of different tissue samples. Let  $G = \{g_1, \dots, g_n\}$  be a set of genes and  $S = \{s_1, \dots, s_m\}$  be a set of samples. The corresponding gene expression matrix can be represented as  $M = \{X_{i,j} | 1 \le i \le m, 1 \le j \le n\}$ . The matrix M is composed of m row vector  $s_i$  e  $R^n$ ; i = 1, 2, ...m, m is the number of samples, and n is the number of genes measured. Where  $X_{i,j}$  is the expression level value of sample  $s_j$  on gene  $s_j$ , and usually  $s_j$  m. Each vector  $s_j$  in the gene expression matrix may be thought of as a point in n-dimensional space. Each of the  $s_j$ 

columns consists of an m- element expression vector for a single gene.

Our task is to classify all samples into Cancer samples and normal samples, which is a binary classification problem. A simple way to build a binary classifier is to construct a hyper-plane which separates Cancer members from normal members in feature space. Suppose  $w_T \cap w_N = \Phi, \, w_T \cup w_N = S,$  which means that each vector ideally belong to one and only one class of  $w_T$  of  $w_N$ 

# B. Algorithm model

The expression levels of most of the genes measured in datasets are irrelevant to the distinction between Cancer and normal tissues. To precisely classify Cancer we have to select genes, which is called informative genes, highly related to Cancer for classification. Therefore, to reduce unnecessary noise to the classification process, informative genes selection is of great importance in the analysis of gene expression data. Here we propose a novel method called hybrid method, which integrates factor analysis (FA) with Feature Score Criterion (FSC) that was used in [5], to drastically reduce the dimension of gene expression data and to minimize the information loss before using the SVM algorithm. The novel hybrid method exploits the advantages that each approach offers. FSC is a calculated ranking number for each gene to define how well this gene discriminates two classes, and FA can reduce the dimensionality of the dataset while retaining as much as possible the variation in this dataset. Firstly, we give the classification algorithm model as follows, and then we will introduce every step in algorithm in details in the next several sections

**Step 1** Gene selection: selecting top-ranked genes Gtop, which have higher feature score, and we can obtain a matrix  $Mx \times p$ , where p is the number of selected genes.

**Step 2** Extracting common factors: applying Factor Analysis (FA) [17] to the top ranking genes G top to calculate r new latent factor variables as represents of Gtop, satisfying r < |G| top | .We can obtain common factor matrix  $Fm \times r$ .

**Step 3** Classification: training SVM with train sets and applying SVM to classify  $Fm \times r$ 

#### C. Gene Selection

Gene selection and dimensional reduction are necessary for microarray classification. We employ FSC as gene selection method. For each gene i g in G, we firstly calculate the mean  $\mu_i^+$  (resp.  $\mu_i^-$ ) and standard deviation  $\sigma_i^+$  (resp.  $\sigma_i^-$ ) which correspond to the gene  $g_i$  of samples labeled +1(-1), respectively. Then we calculate a feature score  $F(gi) = |(\mu_i^+ - \mu_i^-)|/(\sigma_i^+ + \sigma_i^-)$  for each  $g_i \in G$ , and rank the genes according to their score values. At last, we simply take the genes with the highest  $F(g_i)$  scores as our top-ranking genes  $G_{top}$ , satisfying  $|G_{top}| << |G|$ . After selecting p genes, we may obtain  $Mm \times p$ 

#### D. Extracting Common Factors

FA is used to uncover the latent dimensions of a set of variables. It reduces attribute space from a larger number of variables to a smaller number of factors which can influence

the responses on a number of measured variables and as such is a "non-dependent" procedure. The primary objectives of FA are to determine the number of common factors influencing a set of measures and the strength of the relationship between each factor and each observed measure. Let observable vector be denoted as  $x=(x_{1,x^2}...,x_n)$  and its mean vector be a vector  $\mu$ =  $(\mu_1, \mu_2..., \mu_m)$ . So factor model can be generally denoted as x $=\mu + Af + \varepsilon$ , where  $f = (f_1, f_2, ...., f_r)$   $(r \le m)$  is a common factor vector,  $\varepsilon = (\varepsilon_1, \, \varepsilon_2, \dots, \, \varepsilon_m)$  is a specific factor vector, and  $A = (a_{i,j})_{mxr}$  is a factor loading matrix. Firstly we determine the optimal number of factors according to the Kaiser criterion stating that a number of factors should be equal to the number of the eigenvalues of the correlation matrix that are greater than one. Then we extract initial set of factors according to principal component method and rotate our factors to the final solution by means of Varimax orthogonal rotation. Hence each of measures will be linearly related to each of factors. The strength of this relationship is contained in the respective factor loading. This loading can be interpreted as a standardized regression coefficient, regressing the factor on the measures.

# E. Support Vector Machines

SVM are a relatively new type of statistic learning theory, originally introduced by Vapnik and successively extended by a number of other researchers. The advantage of SVM is that its general capability can be improved by using structural risk minimization principle. In another words, we can get a relatively small error rate on independent testing sets under the circumstances of utilizing limited training sets. We are given some training data, D a set of n points of the form

$$D = \{(x_i, y_i \mid x_i \in \mathbb{R}^p, y_i \in \{-1, 1\}\}^n_{i-1}\}$$

where the  $y_i$  is either 1 or -1, indicating the class to which the point  $X_i$  belongs. Each  $X_i$  is a p dimensional real vector. We want to find the maximum-margin hyperplane that divides the points having  $y_i = 1$  from those having  $y_i = -1$ . Any hyperplane can be written as the set of points X satisfying X - b = 0, where denotes the dot product. The vector X is a normal vector: it is perpendicular to the hyperplane the parameter  $\mathbf{b}/\|\mathbf{W}\|$  determines the offset of the hyperplane from the origin along the normal vector  $\mathbf{W}$ . We want to choose the  $\mathbf{W}$  and  $\mathbf{b}$  to maximize the margin, or distance between the parallel hyperplanes that are as far apart as possible while still separating the data. These hyperplanes can be described by the equations

W. 
$$X - b = 1$$
  
and  
W.  $X - b = -1$ 

If the training data are linearly separable, we can select the two hyperplanes of the margin in a way that there are no points between them and then try to maximize their distance. By using geometry, we find the distance between these two hyperplanes is  $2/||\mathbf{W}||$ , so we want to minimizel||\mathbf{W}|| las we also have to prevent data points falling into the margin, we add the following constraint: for each i either  $\mathbf{W}$ .  $\mathbf{X}_i - \mathbf{b} \ge 1$  for  $\mathbf{X}_i$  of the first class or  $\mathbf{W}$ .  $\mathbf{X}_i - \mathbf{b} \le -1$  for  $\mathbf{X}_i$  of the second, This can be rewritten as:  $\mathbf{y}_i (\mathbf{W} \cdot \mathbf{X}_i - \mathbf{b}) \ge 1$ , for all  $1 \le i \le n$  We can put this together to get the optimization problem: Minimize (in  $\mathbf{W}$ ,  $\mathbf{b}$ ) ||\mathbf{W}|| subject to (for any  $\mathbf{i} = 1, ....n$ )  $\mathbf{y}_{i(\mathbf{W} \cdot \mathbf{X}_i - \mathbf{b}) \ge 1$ 

#### IV. EXPERIMENTS

#### A. Sample Datasets

We have experiment with two datasets: Breast Tumor dataset and leukemia dataset (Table 1). This breast cancer domain was obtained from the University Medical Centre, Institute of Oncology, Ljubljana, Yugoslavia This is one of three domains provided by the Oncology Institute that has repeatedly appeared in the machine learning literature. This data set includes 201 instances of one class and 85 instances of another class. The instances are described by 9 attributes, some of which are linear and some are nominal. Number of Instances: 286, Number of Attributes: 9 + the class attribute, Attribute Information: Class: no-recurrence-events. recurrence-events, age: 10-19, 20-29, 30-39, 40-49, 50-59, 60-69, 70-79, 80-89, 90-99.menopause: lt40, ge40, premeno, tumor-size: 0-4, 5-9, 10-14, 15-19, 20-24, 25-29, 30-34, 35-39, 40-44, 45-49, 50-54, 55-59, inv-nodes: 0-2, 3-5, 6-8, 9-11, 12-14, 15-17, 18-20, 21-23, 24-26, 27-29, 30-32, 33-35, 36-39, node-caps: yes, no, deg-malig: 1, 2, 3, breast: left, right, breast-quad: left-up, left-low, right-up, right-low, central, irradiat: yes, no. The dataset is Available at [19]. The leukemia dataset is bone marrow samples that are taken from 72 patients with either acute myeloid leukemia (AML) or acute lymphoblastic leukemia (ALL) [5]. The dataset consists of 47 ALL samples and 25 AML samples, and contains expression levels for 7129 human genes produced by Affymetrix high-density oligonucleotide microarrays. The scores in the dataset represent the intensity of gene expression after being rescaled to make overall intensities for each chip equivalent. We collect dataset for experiment from. [18]

Table 1 Description of sample datasets

Dataset	Sample	Cancer	Other
Breast Tumor	286	201	85
Leukemia	72	47	25

#### B. Experiment Methods

In our experiments, we use the software ORANGE CANVAS, Orange is a library of C++ core objects with python script and routines that includes a large variety of standard and not-so standard machine learning and data mining algorithms, plus routines for data input and manipulation. [8] to classify the Cancer dataset. Training SVM requires specifying the type of kernel and the regularization parameter *C*. However, finding the best choices for the kernel and parameters can be challenging when applied to real datasets. Generally, the recommended kernel for nonlinear problems is the Gaussian radial basis kernel:

$$K(x,y) = exp(-g|x-y|^2)$$

Because it resembles the sigmoid kernel for certain parameters and it requires less parameters than a polynomial kernel. The kernel parameter C and  $\gamma$  can be determined by running a 2- dimensional grid search, which means that the values for pairs of parameters (C, g) are generated in a predefined interval. Performance of classifiers was tested by

utilizing a cross-validated method and accuracy of a diagnostic test can be expressed with cross validation accuracy

#### C. Results and Analysis

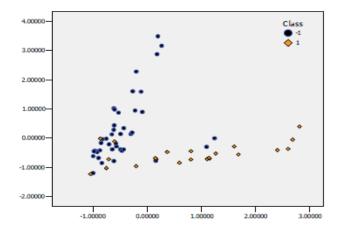
Initially, experiments are carried out only using hybrid method to select the 150, 50, 20 and 12 top-ranked genes as represents of genes in table 1, 2 respectively, and then on the basis of the selected genes we employ FA to extract their principal factors whose eigen values should be over 1 to be used as the input of SVM classifier. Table 2 and 3 show the experiment results of two methods under the different parameters (C, g), for two datasets, respectively, where last column represent about the accuracy of classification means the feature score (%) rate of factors and. Figure 1 plot graph for breast tumor dataset for top 12 selected genes and fig 2 respectively plot the graph for leukemia dataset for the top 12 selected genes. We obviously see that among 286 breast tumor samples are approximately divided into two classes: normal tissue and tumor tissue and 72 leukemia samples are also approximately divided into two classes: ALL and AML. Therefore, we can conclude that FA has the effect of clustering samples and our hybrid method is obviously superior to the single FSC method in reducing dimension for SVM classification and in improving performance of SVM classification while retaining the same recognition rate. Experiments also show that many genes are closely related and dominated by many latent factors; however, how to interpret those principal factors require more knowledge of biology.

**Table 2 Results Comparison for Breast Tumor Dataset** 

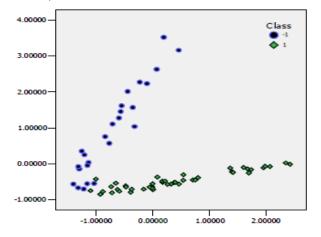
Method	Selected Genes	Extracted Factors	C	g	Cross Validation Accuracy
Michiga	150	ractors	500	0.00008	90.32 %
FCS					7 4 10 = 7-
	100		500	0.00008	90.54 %
	50		1000	0.00002	90.83 %
	20		500	0.0001	91.00 %
	12		1000	0.002	91.95 %
Hybrid	150	16	1500	0.00006	91.00 %
	100	12	500	0.008	91.32 %
	50	6	500	0.002	91.56 %
	20	3	1500	0.001	92.22 %
	12	2	500	0.02	93.75 %

Table 3 Result Comparison for Leukemia (ALL/AML) Dataset

	Selected	Extracted			Cross Validation
Method	Genes	Factors	C	g	Accuracy
FCS	150		500	0.00008	90.32 %
	100		500	0.00008	91.94 %
	50		1000	0.00002	92.33 %
	20		500	0.0001	92.88 %
	12		1000	0.002	96.23 %
Hybrid	150	16	1500	0.00006	92.00 %
	100	12	500	0.008	93.32 %
	50	6	500	0.002	95.56 %
	20	3	1500	0.001	96.22 %
	12	2	500	0.02	98.00 %



2D scatter plot for the selected 12 genes using hybrid method on breast cancer dataset, where 1 means normal tissue and -1 means tumor tissue. (Fig 1 Image from Orange Canvas software)



2D scatter plot for the selected 12 genes using hybrid method on leukemia dataset, where 1 means ALL and -1 means AML (Fig 2. Image from Orange Canvas software)

#### V. CONCLUSION AND FUTURE WORK

The potential of applying machine learning techniques is very high for classification of malignancy in cancer on the basis of variation in gene expression. We demonstrate the binary classification using Hybrid method with the use of SVM classifiers in case of the breast cancer data set. An important point is the question regarding what the significant features or patterns mean from a biological perspective. We can point out the genes, which give best prediction accuracy in case of classification, correlating them to their biological significance with respect to the disease. Developing more sophisticated methods of feature selection coupled with SVM would yield more insights into defining a better binary classification model for this biological problem.

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